

# **GEMS Cloud Algorithm Development: Preliminary Results and Remaining Issues**

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# Preliminary Results

# Introduction to cloud products

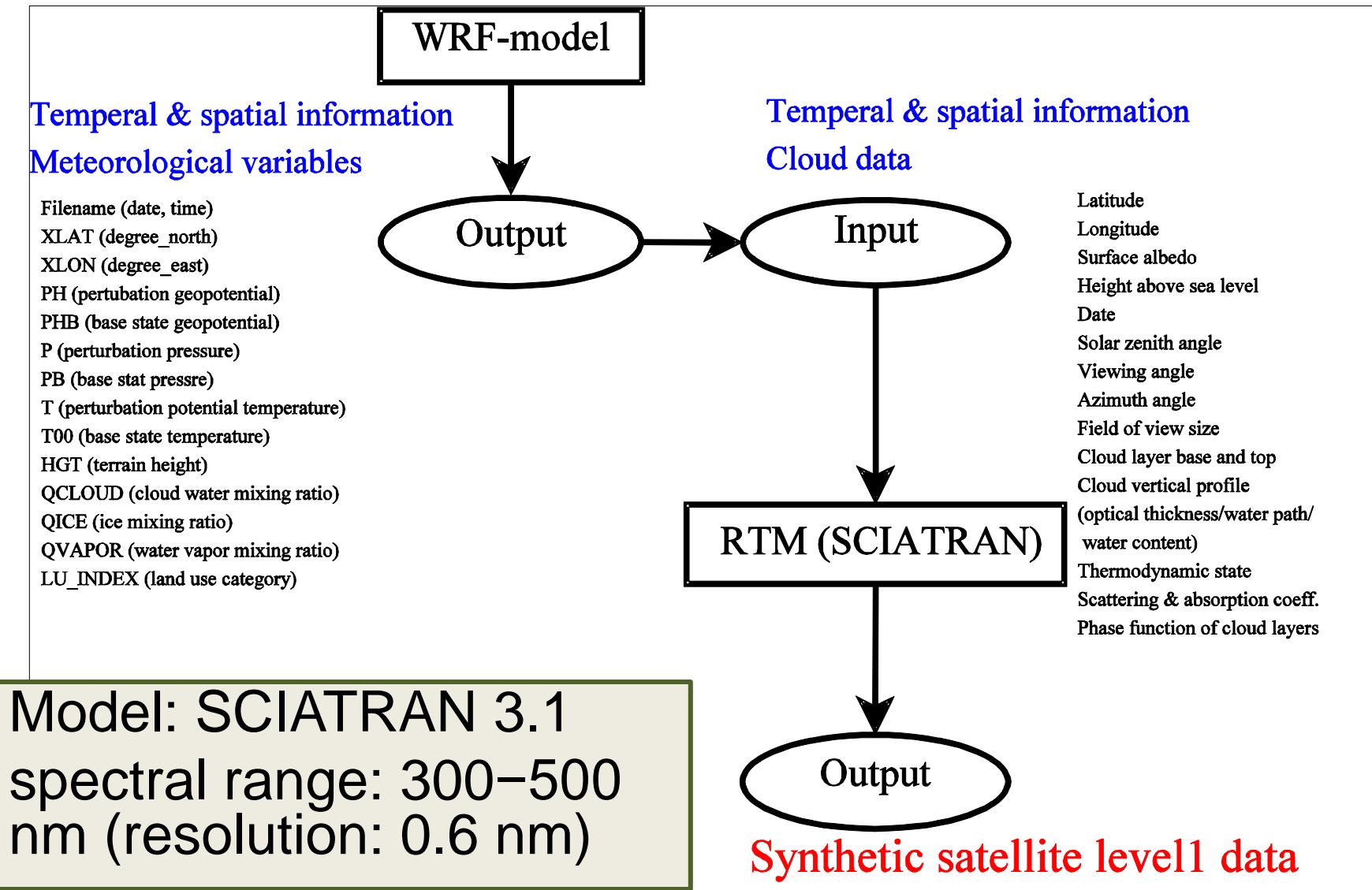
## ➤ Cloud radiative fraction

- via effective cloud fraction  
(Mixed Lambertian Equivalent Reflector, MLER)
- via geometrical cloud fraction  
(Mie Scattering Reflector)

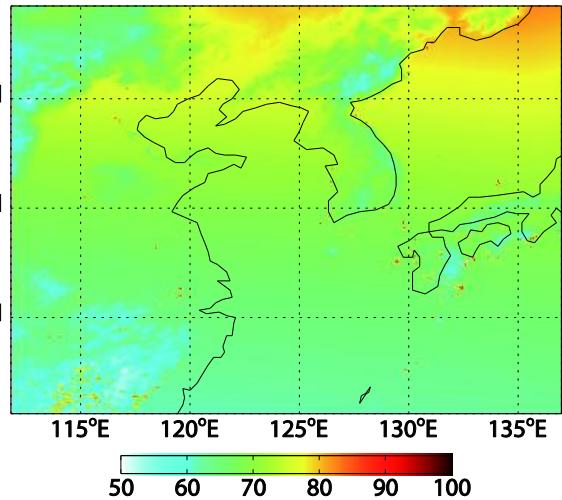
## ➤ Cloud pressure

- UV cloud pressure ( $O_2-O_2$  absorption band)
- UV cloud pressure (UV-Visible bands; OMI and SCIAMACHY; Vasilkov et al., 2004)
- IR climatological cloud-top pressure (TOMS)

# Synthetic data simulation



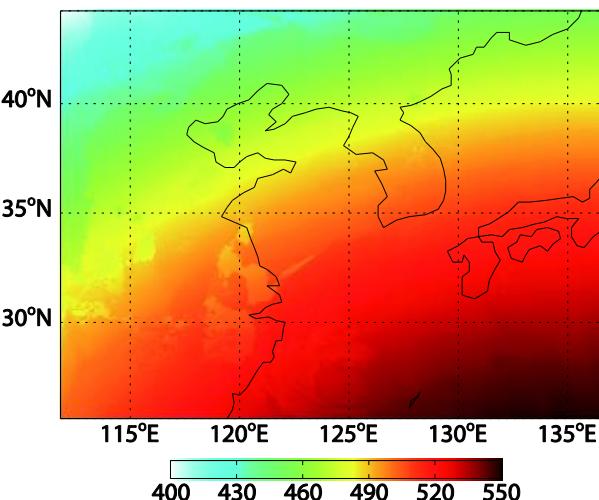
# Simulated synthetic radiances w/ WRF cloud (true) & effective cloud fraction



$$I_S$$

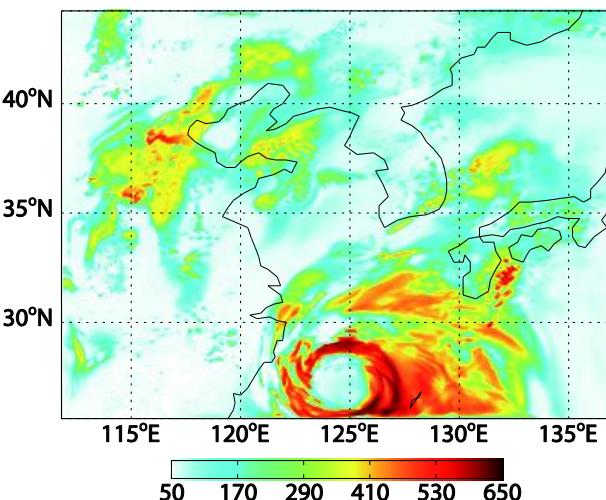
Clear-sky radiance

$$f_c = \frac{I - I_S}{I_C^* - I_S}$$



$$I_C^*$$

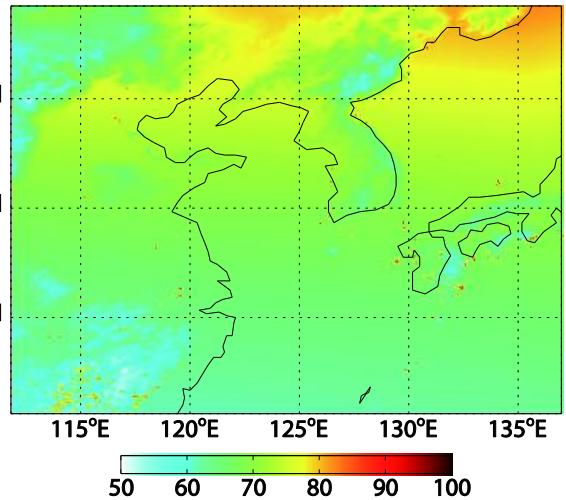
Overcast radiance  
assuming  
Lambertian reflector  
( $A_c = 0.8$ )



$$I$$

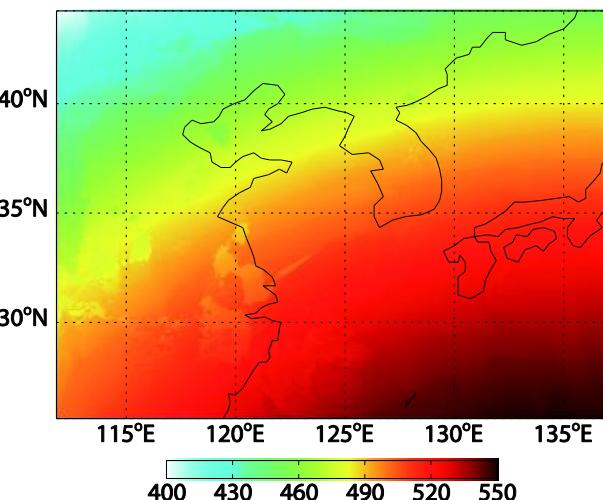
Measured radiance

# Simulated synthetic radiances w/ WRF cloud (true) & effective cloud fraction

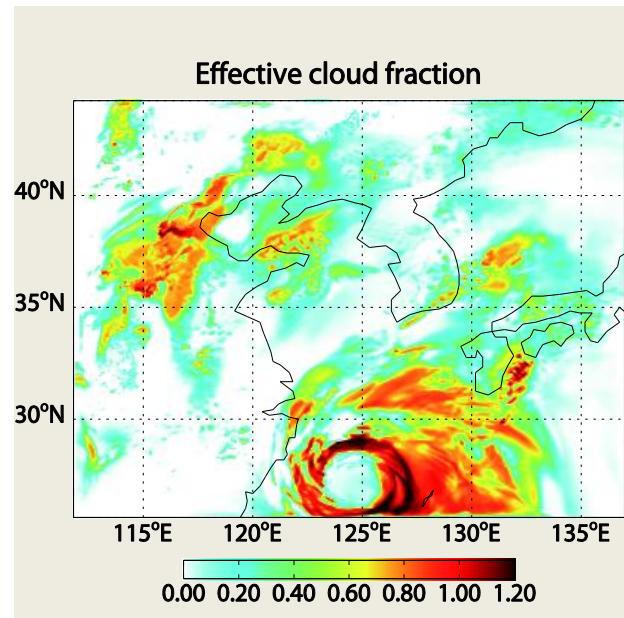
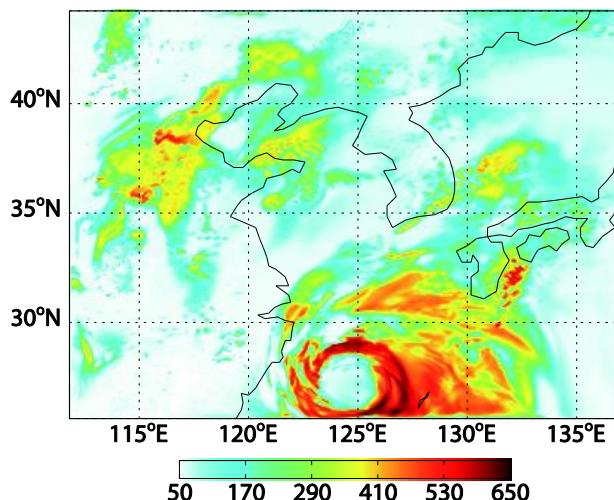


$I_S$   
Clear-sky radiance

$$f_c = \frac{I - I_S}{I^*_c - I_S}$$



$I^*_c$   
Overcast radiance  
assuming  
Lambertian reflector  
( $A_c = 0.8$ )



# The difference between effective cloud fraction and cloud radiative fraction

If S is the slant column of a trace gas

$$S = \int n(z)m(z)dz$$

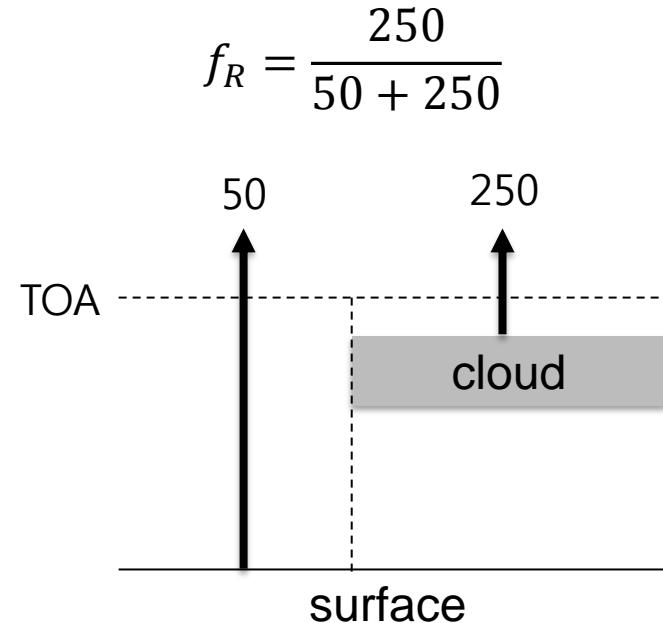
$$m(z) = \frac{d \ln I}{d \tau(z)}; \quad \tau(z) = \sigma(z)n(z)$$

where, n is trace gas density,  $\sigma$  is abs cross-section, and m is the differential airmass factor

for MLER:

$$I = I_s (1-f_c) + I_c^* (R_c = 0.8) f_c \rightarrow f_c = \frac{(I - I_s)}{(I_c^* - I_s)}$$

$$m(z) = m_s (R_s) (1-f_R) + m_c (R_c = 0.8) f_R \rightarrow f_R = f_c \frac{I_c^*}{I}$$



where  $R_s$  is surface reflectance, and  $f_R$  is cloud radiative fraction

For Mie:

$$I = I_s(1 - f_g) + I_c(\tau_c)f_g$$

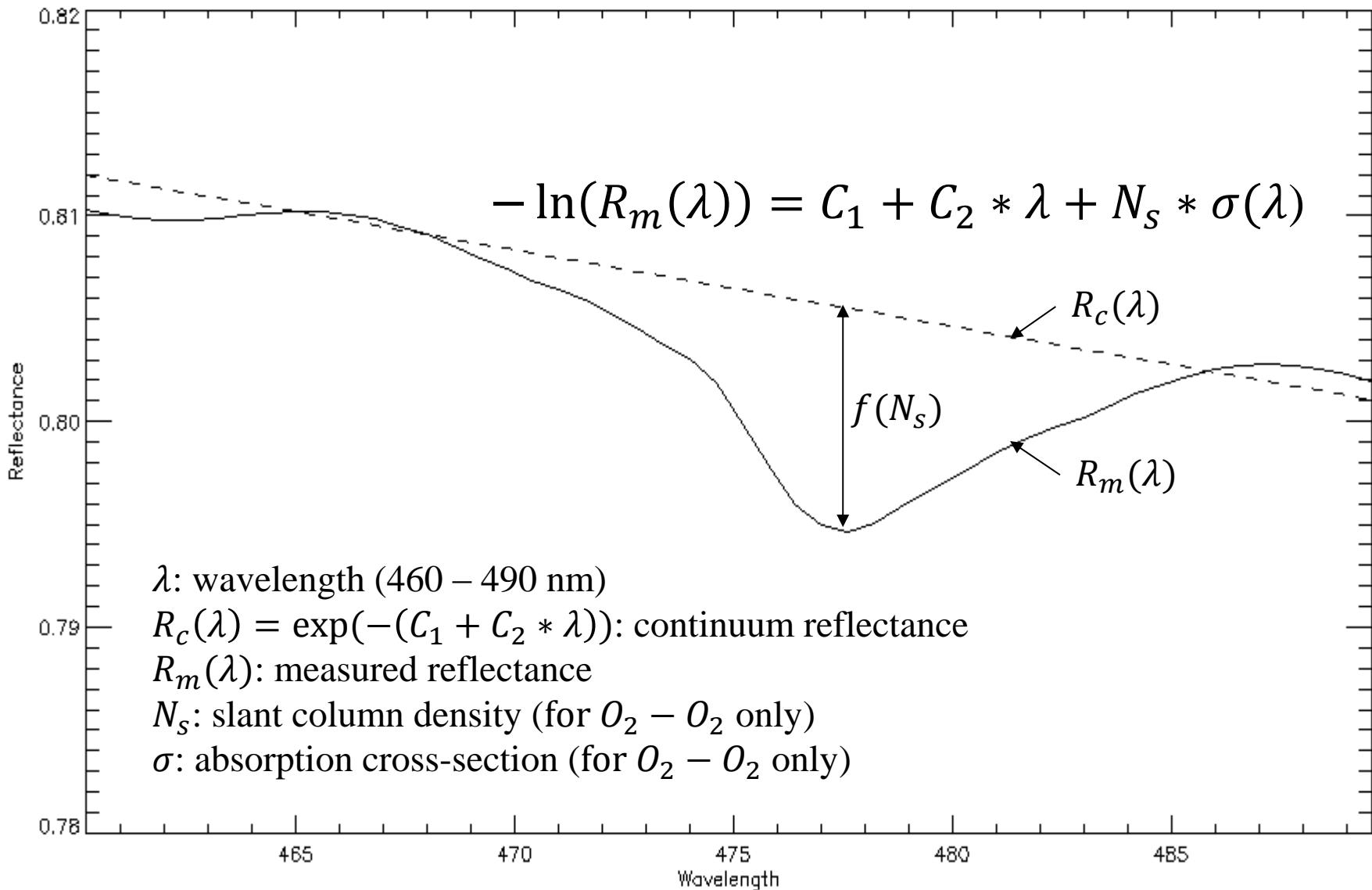
$$m(z) = m_s(R_s)(1 - f_R) + m_c(\tau_c)f_R$$

$$f_R = f_g \frac{I_c}{I}$$

where,  $f_g$  is geometrical cloud fraction, and  $\tau_c$  is cloud optical thickness

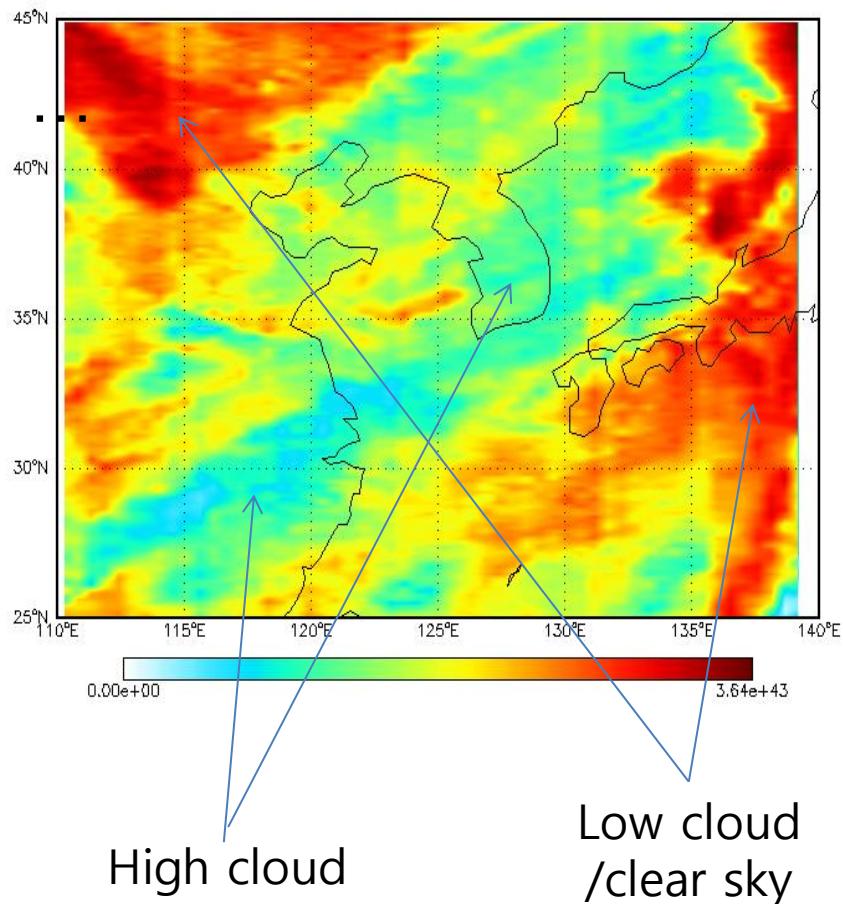
Note that IR/VIS cloud algorithms are retrieving this  $f_g$  and  $\tau_c$ .

# Concept of cloud pressure retrieval

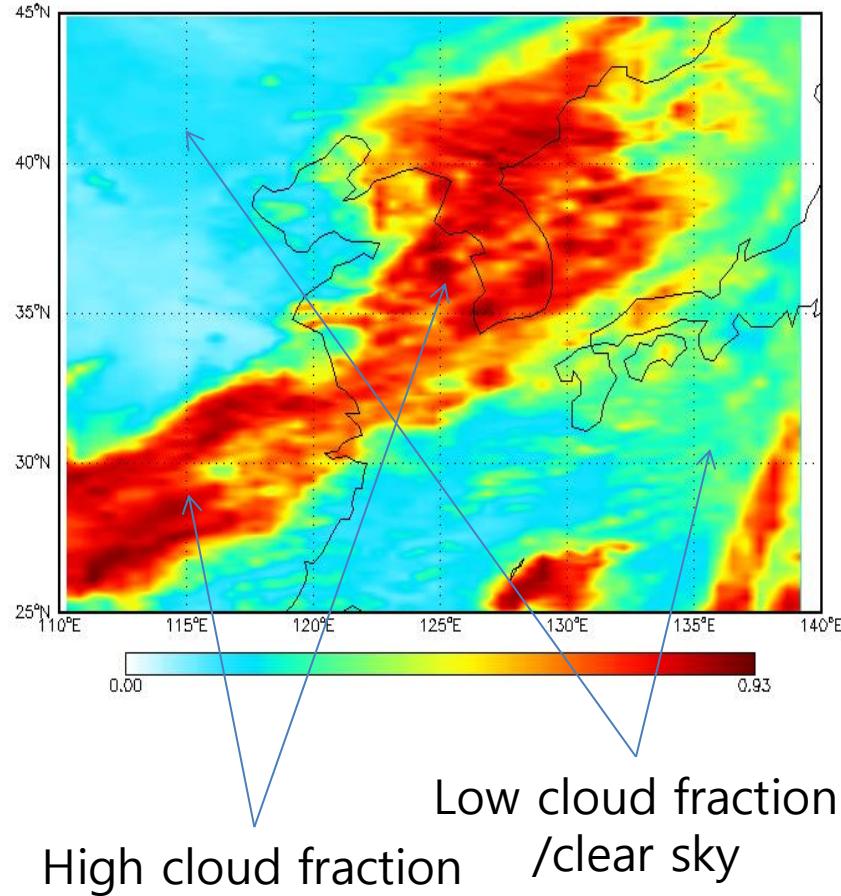


# Preliminary results from the GEMS prototype algorithm (input: OMI L1b)

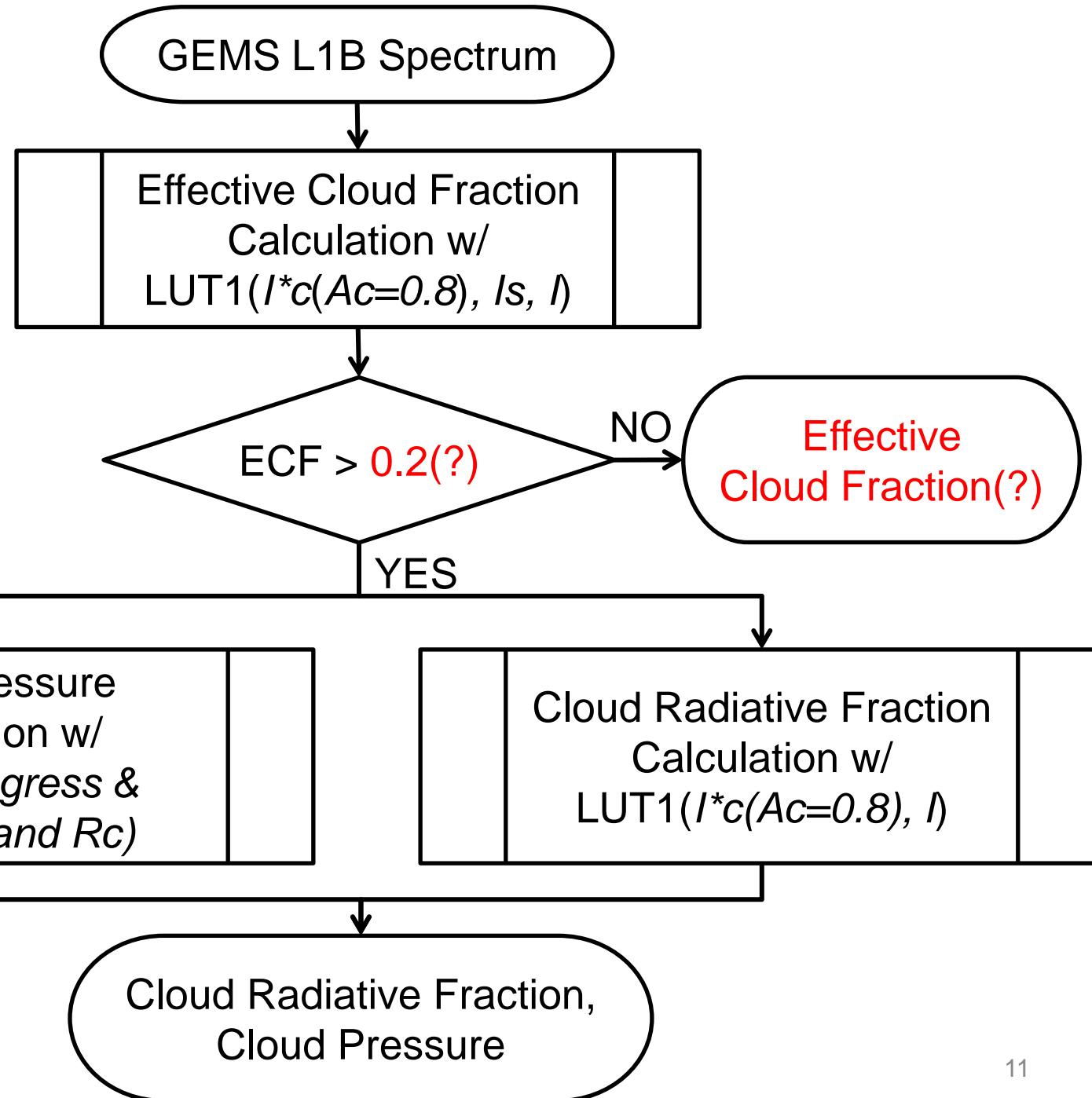
## Slant column density



## Continuum reflectance



# GEMS Cloud Algorithm Flowchart



# Look-up table constitution

## VLIDORT inputs for cloud radiative fraction retrieval

Variables	Values
Solar zenith angle	0°, 30°, 60°, 81°
Viewing zenith angle	0°, 40°, 70°
Relative azimuth angle	0°, 90°, 180°
Surface pressure	1013, 950, 850 hPa
Surface reflectance	0.05, 0.1, 0.2
Cloud fraction	0, 0.1, 0.2, 0.4, 0.7, 1.0

## VLIDORTs for cloud pressure retrieval

Variables	Values
Solar zenith angle	0°, 30°, 60°, 81°
Viewing zenith angle	0°, 40°, 70°
Relative azimuth angle	0°, 90°, 180°
Surface pressure	1013, 950, 850 hPa
Surface reflectance	0.05, 0.1, 0.2
Cloud pressure	800, 600, 350 hPa
Cloud fraction	0, 0.1, 0.2, 0.4, 0.7, 1.0

VLIDORT calculation

LUT1

Radiances ( $I$ ,  $I_s$ ,  $I^*c$ )  
(at which wavelength?)

VLIDORT calculation

LUT2

Slant column density ( $N_s$ )  
Continuum Reflectance ( $R_c$ )

# Remaining issues

(also for cloud breakout session on Thursday)

# Issue: Cloud algorithm refinement

## ➤ Cloud radiative fraction:

- at which wavelength? or assume independence of  $\lambda$ ?
- need additionally cloud mask?

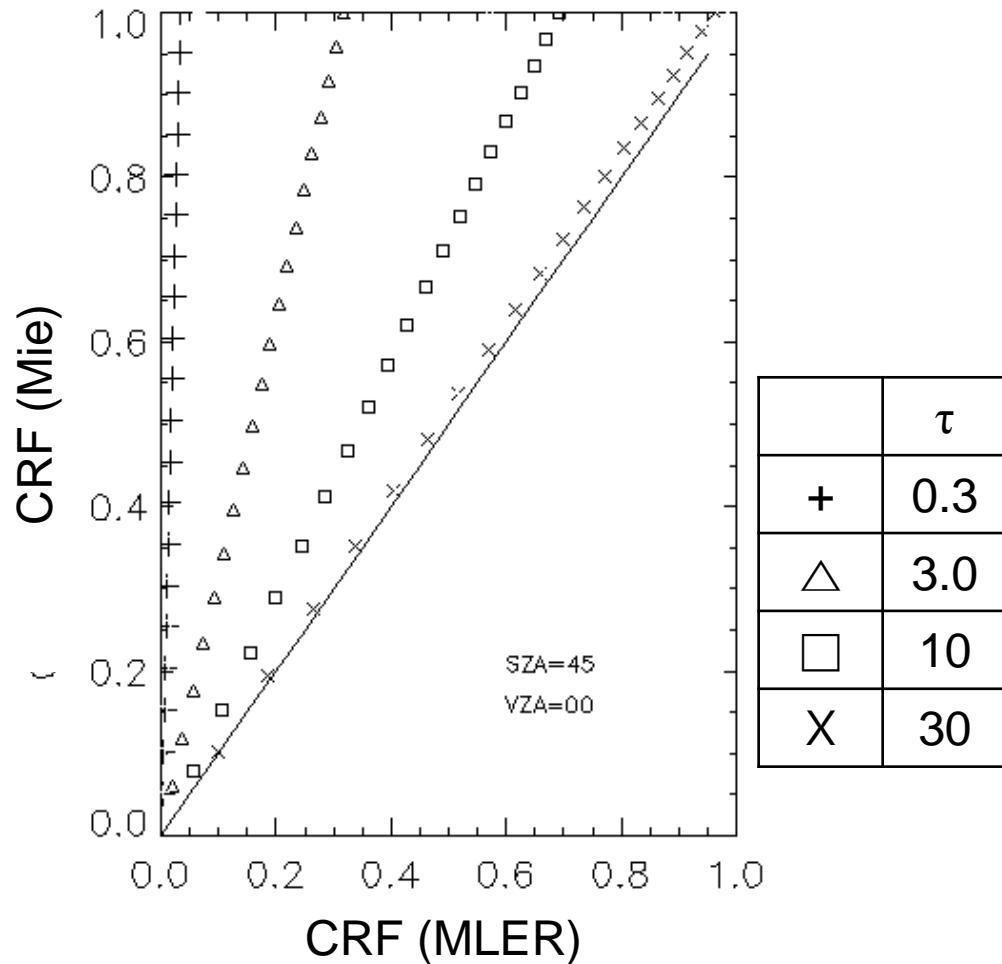
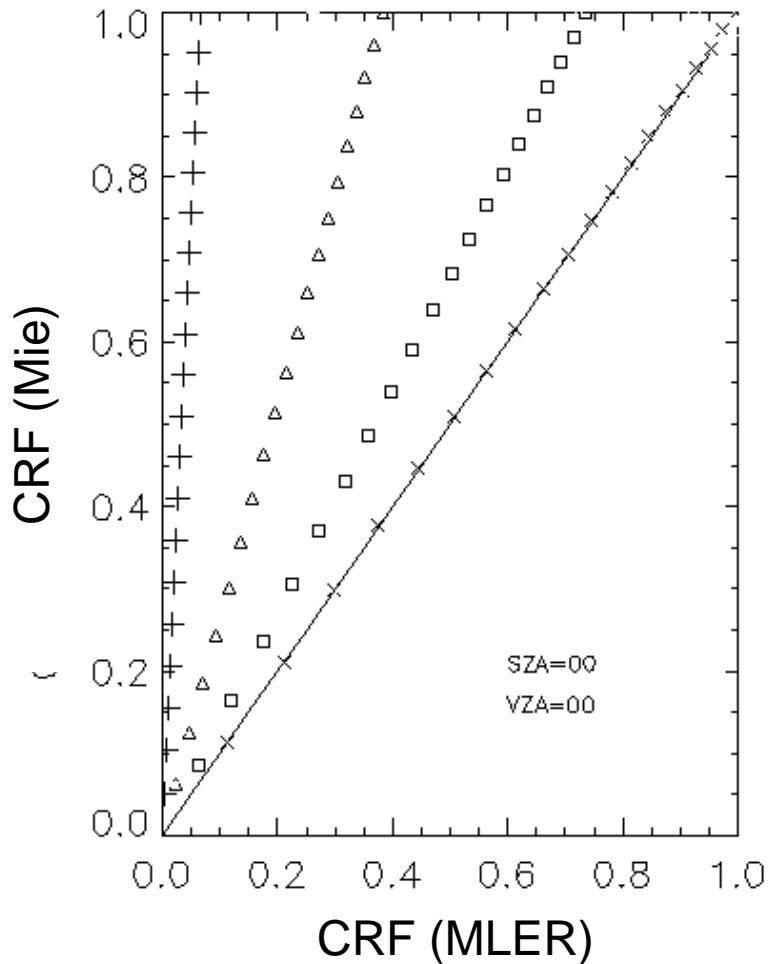
## ➤ Cloud pressure:

- The method to obtain slant column density
  - *Multiple regression*
  - DOAS fitting
  - Iterative minimum variance procedure
  - Direct fitting
  - Or any idea?

# Issue: Impact assessments on gases or cloud retrievals

- To what extent, the errors in cloud retrievals have effects on gas/aerosol retrievals?
  - Theoretical tests for the validity of gas/aerosol retrievals over cloudy regions
- To what extent, the errors in the cloud algorithm inputs have effects on cloud retrievals per se?
  - Surface reflectance
  - $O_3$ , and aerosol profiles in forward simulations

# Issue: Choosing cloud model to define cloud fraction

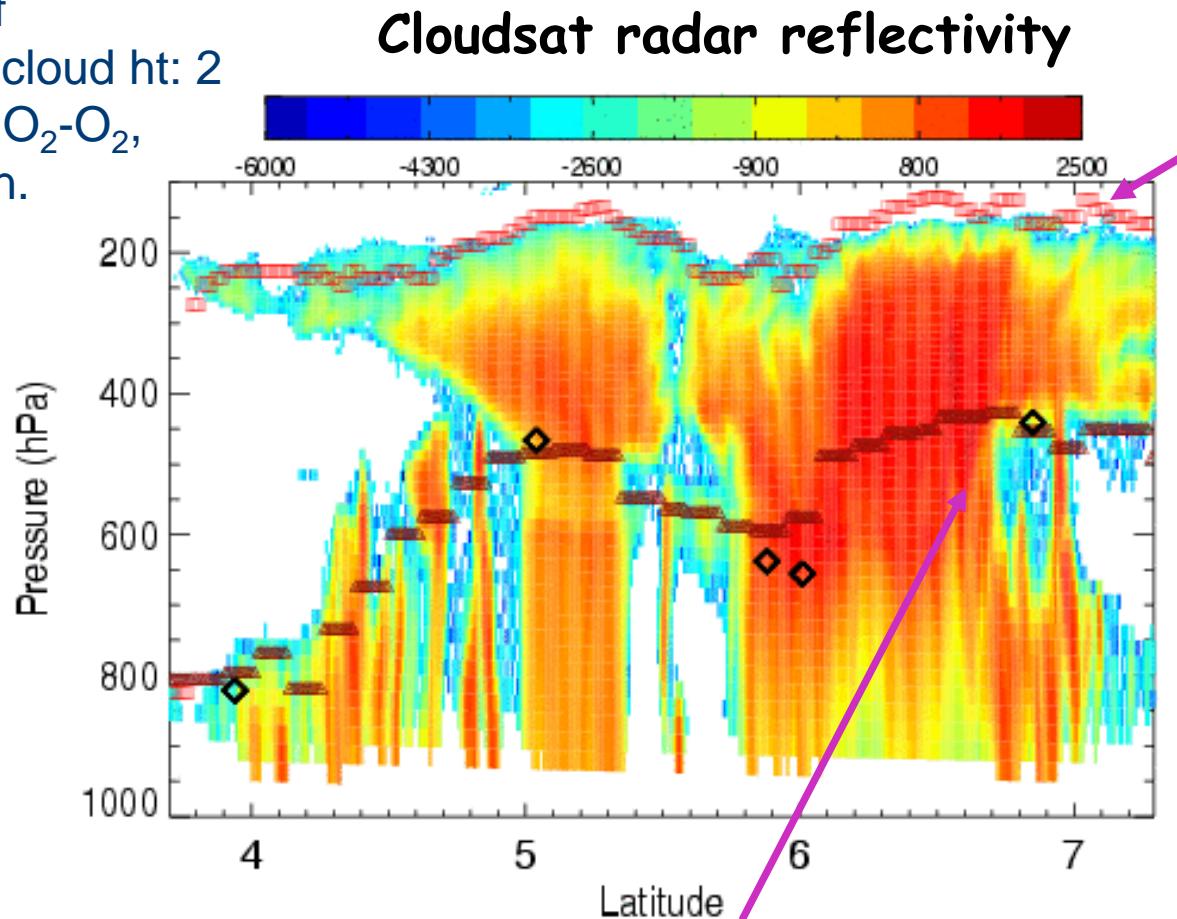


# Issue: Combination with ABI/GK-2A

- IR/VIS cloud fraction
  - may be used as “geometrical” cloud fraction, in a similar way to Mie cloud model (Independent pixel approximation).
- IR/VIS Cloud top pressure (?)
  - probably looking at different cloud level.
- Temporal & spatial inconsistency
  - just few minute difference can cause large bias in cloud parameters
- Wavelength dependence

# Multi-phase Cloud Effects

There are 5 different methods of estimating cloud ht: 2 TIR, O<sub>2</sub>-A, O<sub>2</sub>-O<sub>2</sub>, and Raman.



MODIS cloud-top press is insensitive to cloud vertical structure

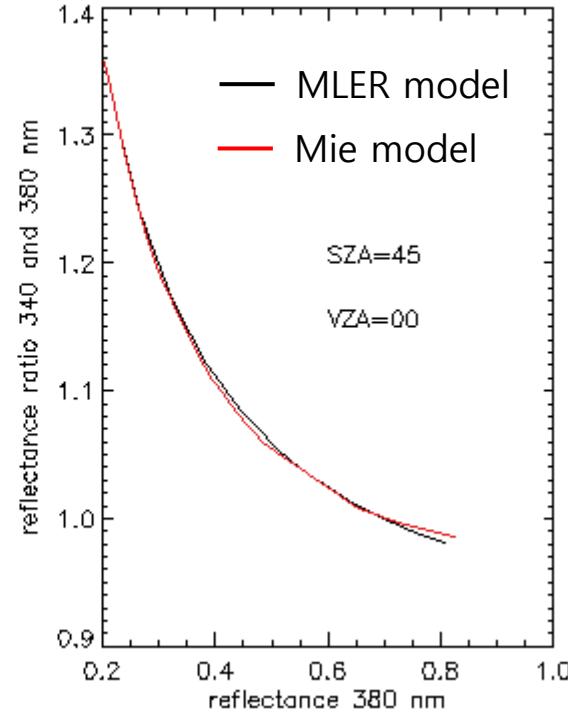
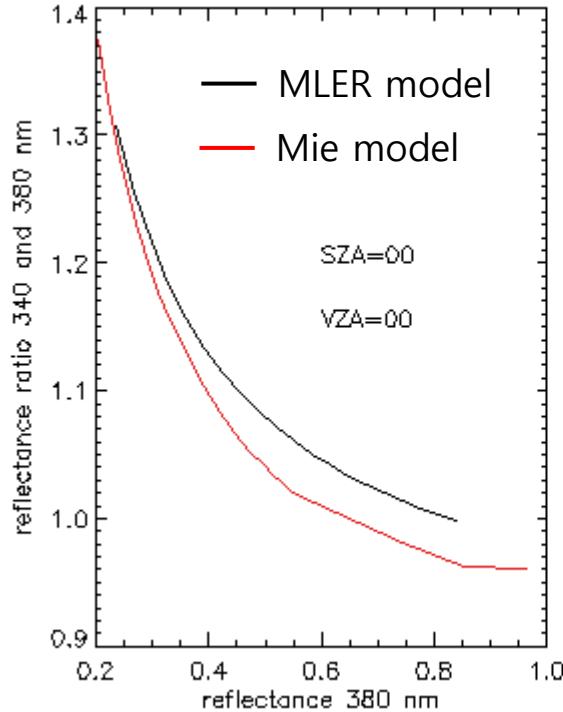
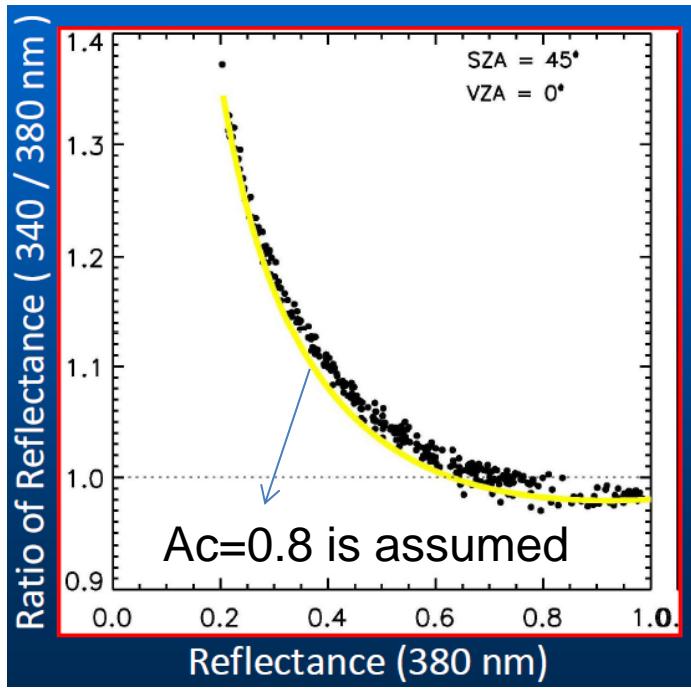
Cloud Optical Centroid press calculated using OMI-measured Rot Raman Scattering is sensitive to cloud vert structure  
(ref : Vasilkov et al., JGR, '08)

Thank you

# Appendices

# Issue: Choosing cloud model to define cloud fraction

TOMS ATBD



The dependence of  $R(340 \text{ nm})/R(380 \text{ nm})$  on  $R(380 \text{ nm})$  may agree between cloud models at certain geometry ( $\text{SZA}=45^\circ$ ,  $\text{VZA}=0^\circ$ ), but may not agree elsewhere.

# Multiple regression

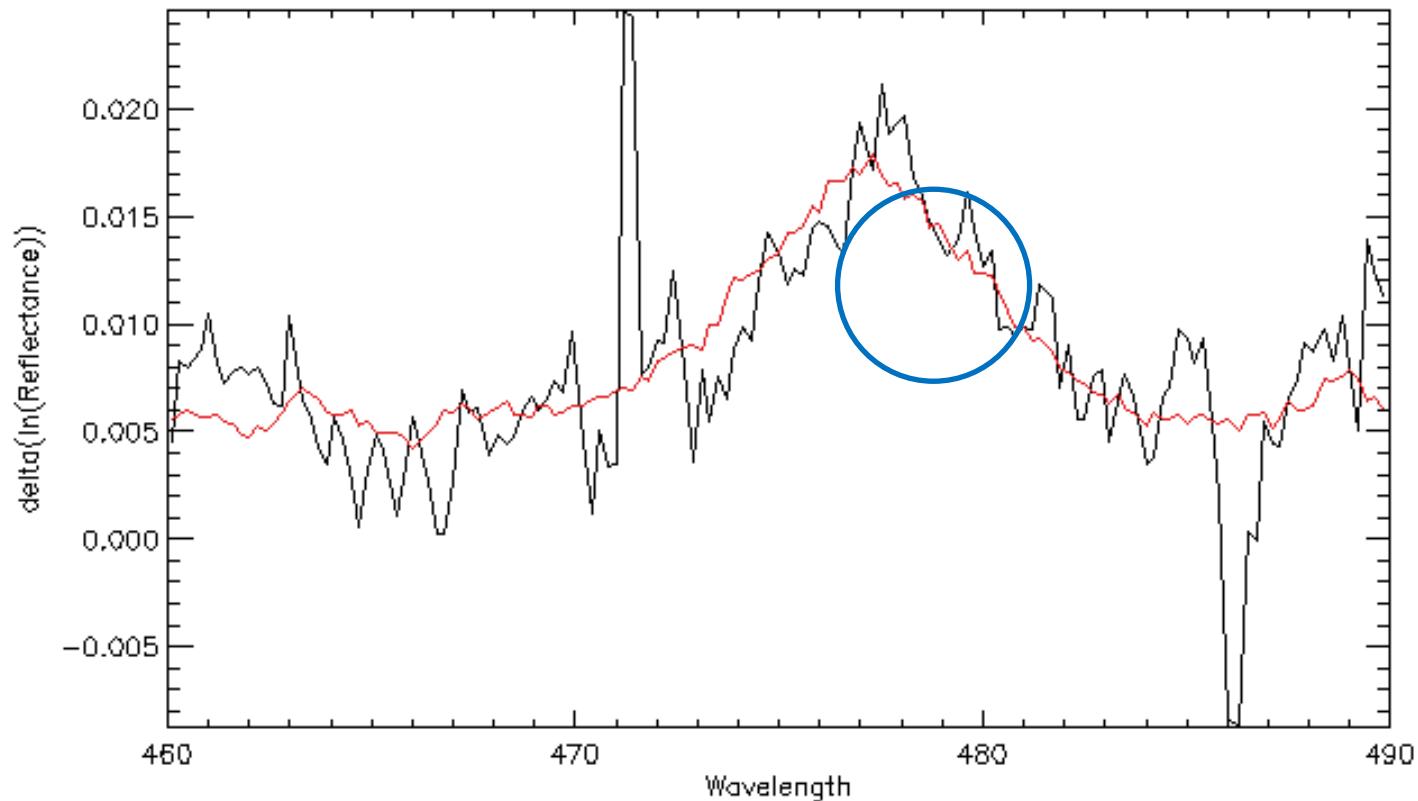
$$-\ln(R_\lambda)$$

$$\begin{aligned}
 &= C_1 + C_2 * \lambda + N_{s,O_2-O_2} * \sigma_{O_2-O_2} + N_{s,O_3} \\
 &\quad * \sigma_{O_3} + N_{s,NO_2} * \sigma_{O_2-O_2}
 \end{aligned}$$

	$C_1$	$C_2$	$N_{s,O_2-O_2}$	$N_{s,O_3}$	$N_{s,NO_2}$	$(\mathbf{y} - \hat{\mathbf{y}})^2$
Only O2-O2	-0.15	0.44E-02	1.88E43	-	-	1.37E-05
O2 and O3	-0.10	0.43E-02	2.00E43	3.10E17	-	1.36E-05
O2 and NO2	-0.17	0.44E-02	1.85E43	-	9.78E15	1.33E-05
All	-0.14	0.44E-02	1.96E43	2.71E17	9.35E15	1.32E-05

# Multiple regression

- Black: [OMI L1B] – [retrieved continuum:  $C_1 + C_2 * \lambda$ ]
- Red: [Linear fitting] – [retrieved continuum]
- Blue circle is the O<sub>2</sub>-O<sub>2</sub> absorption band.



# Cloud models

Cloud model	Assumption	Definition	
LER	Lambertian reflector	$I_m = I_a + \frac{R * T}{1.0 - Sb * R}$	
MLER	Cloud, Lambertian reflector albedo = 0.8	$I_m = I_s(R_s, p_s) * (1 - f_c) + I_c(R_c, p_c) * f_c$	Recommended for operational retrieval
C1 cloud	Cloud cover =1, Mie scattering cloud	$I_m = I_c(\tau_c)$	
C1 cloud, IPA	Mie scattering cloud	$I_m = I_s(1 - f_g) + I_c(\tau_c)f_g$	Recommended for error estimation
Isotropic cloud	Cloud as isotropic surface	-	Make up for weakness of MLER concept

# Cloud model (LER)

- Lambertian Equivalent Reflectivity (LER) as:

$$I_m = I_a + \frac{R * T}{1.0 - Sb * R}$$

$I_m$ : TOA radiance

$I_a$ : Rayleigh scattering radiance

$T$ : Transmittance

$Sb$ : Spherical albedo

$R$ : Lambertian equivalent scene reflectivity

# Cloud model (MLER)

- Mixed LER as:

$$I_m = I_s(R_s, p_s) * (1 - f_c) + I_c(R_c, p_c) * f_c$$

- This concept is used calculating effective cloud fraction.
- Weak point: no evidence of cloud albedo definition.

# Cloud model (IPA)

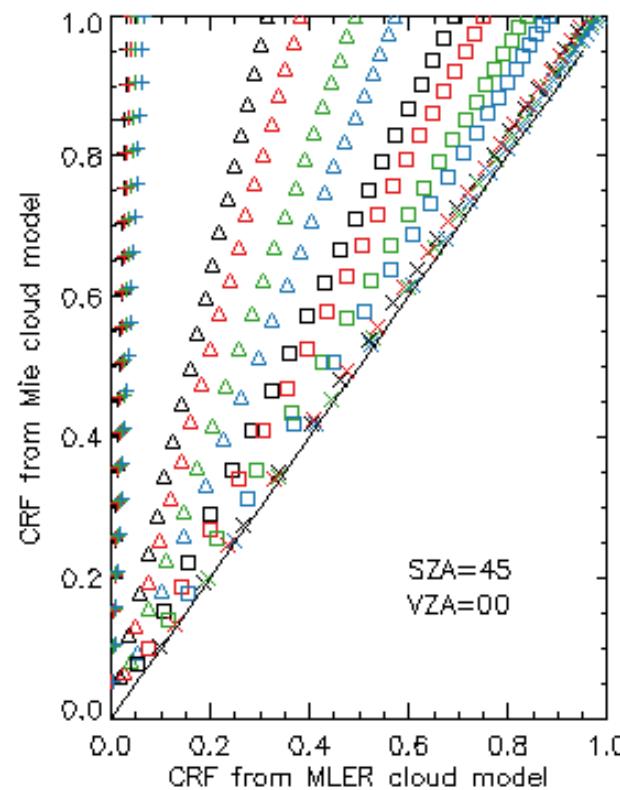
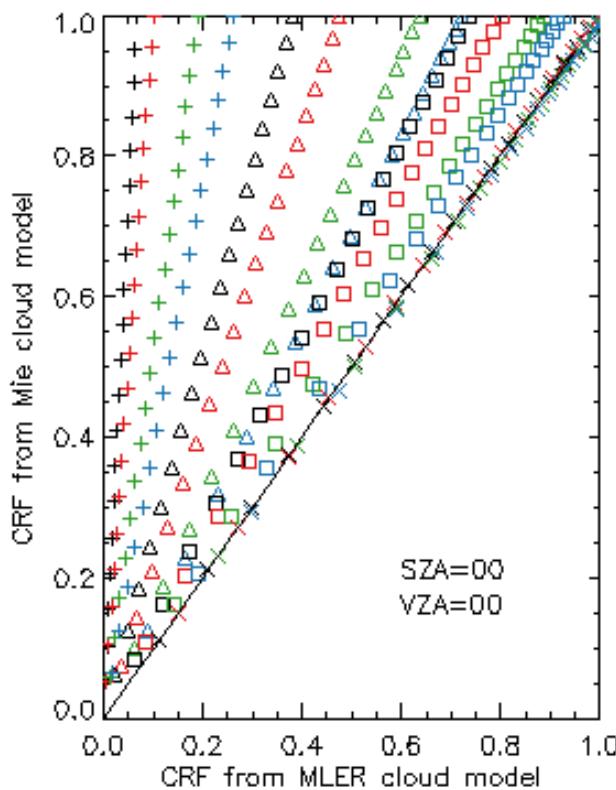
- Radiance is calculated in IPA cloud model:

$$I = I_s(1 - f_g) + I_c(\tau_c)f_g$$

- Mie cloud, independent pixel approximation (IPA) have similar concept with MLER, except Lambertian cloud in MLER is replaced with Mie cloud.
- Mie cloud involves cloud macro and micro physics parameters like cloud thermodynamic state and cloud size distribution.

# Cloud model study

- This figure shows cloud radiance fraction from different optical thickness and wavelength. In long wavelength, it has big discrepancy for optical thickness difference



Symbol	TAU
+	0.3
△	3.0
□	10
X	30

Color	WL (nm)
Black	320
Red	354
Green	420
blue	475